

Anisotropic Diffusion Despeckling for High Resolution SAR Images

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ABSTRACT: The main purpose of this work is to perform a new denoising method based on a nonlinear anisotropic diffusion for the reducing of the multiplicative speckle in high resolution Synthetic Aperture Radar (SAR) images. In order to be applicable to the sampled data and reduce computing complexity, an efficient discretization scheme, e.g. additive operator splitting(AOS) scheme is chosen here for the proposed approach. Examples are given comparing the new filter to established speckle noise reduction methods on an ERS-2 SAR image. Experimental results show that this method not only can effectively reduce speckle, while preserving important discontinuities present in the input data, but also obtain a better performance than the traditional local statistical filter.

1 INTRODUCTION

The basic goal of SAR images denoising is that preserving the image detail characteristics like edges and textures, while suppressing the speckle of uniform area in the image. The most classical approach can be implemented by multi-look despeckling in the imaging processing. But this increase in radiometric resolution is gained at the expense of spatial resolution. As for the multiplicative characteristic of the speckle, many spatial domain filtering algorithm[1] have been developed, and gradually become the mainstream technique of the SAR image despeckling, the typical approaches include the adaptive local statistical filter (like lee filter, kuan filter, etc) and geometric filter etc, the key of this kind of approach consist in how to achieve effective despeckling according to the statistical property of the sliding estimated window and choose the appropriate window size to gain the biggest homogeneous region. In addition, filtering technique based on iteration and wavelet approach [8] and EMD approach [2] proposed by Han et al. both obtain a good performance in reducing speckle.

In recent years, the image processing approach based on nonlinear diffusion have already been applied in the field of image enhancement, image segmentation and scale space analysis etc [3][4][5][6], its trait is reducing the noise and sharpening edges at the same time. In order that the continuous anisotropic diffusion equation is applied in the discrete image data, the nonlinear diffusion filtering algorithm based on additive operator splitting(AOS) scheme is proposed, and then compare its performance with the traditional SAR speckle filter, the experiment results show that, based on several evaluation measure, this approach not only achieve good balance between reducing noise and preserving edges, but also obtain a better performance than the traditional local statistical filter.

2 NONLINEAR DIFFUSION FILTERING

2.1 The Physical Background of Diffusion

Firstly, giving the heat diffusion equation

$$\partial_t u = \text{div}(D \cdot \nabla u) \quad (1)$$

Where, u is concentration, div is the divergence operator, ∇ is the gradient operator, D is diffusion tensor and t is time. This equation appears in many physical transport processes. In image processing, the concentration can be considered as the gray value at some position. If D itself depends on the evolving image u , the resulting equation describes a nonlinear diffusion filter.

Nonlinear diffusion was first proposed by Perona and Malik in 1990[7], and built the following isotropic diffusion model:

$$\partial_t u = \text{div}(g(|\nabla u|) \cdot \nabla u) \quad (2)$$

But Perona-Malik model still have some fault. Thus, Catte et al. proposed that, by substituting the gradient $|\nabla u|$ with its estimate $|\nabla G_\sigma * u|$ where G_σ can be any smoothing kernel, nonlinear diffusion filter can be more robust for noise. While as for the problem of the unfiltered edge noise, it have to turn to the anisotropic filters where the flux $j = -D \cdot \nabla u$ is not generally parallel to the image gradient.

2.2 Anisotropic Diffusion Model

Generally, the presence of the noise near the edges result in the fluctuation of the image gradient, consequently cause the fluctuation of the gradient intensity and direction. Nonlinear isotropic diffusion filter includes a scalar diffusion tensor $D = g(|\nabla u_\sigma|)$, so the flux always parallel to the image gradient ∇u , noise near the edges can not be smoothed, however rotate it, then diffusion filter can filtering noise near the edges, thus the diffusion tensor which controls the diffusion process should be not a scalar but a matrix $D = \begin{pmatrix} d_{11} & d_{12} \\ d_{21} & d_{22} \end{pmatrix}$, and nonlinear anisotropic diffusion equation is introduced:

$$\partial_t u = \text{div}(D(\nabla u_\sigma) \cdot \nabla u) \quad (3)$$

Here, an edge-enhancing diffusion model is adopted.

$$\varphi_1 = g(|\nabla u_\sigma|)$$

$$\varphi_2 = 0.2 \quad (4)$$

where φ_1 controls the diffusion in the gradient direction, φ_2 controls the smoothing in the coherence direction. The value of φ_2 lies in the interval $[0, 1]$.

2.3 Diffusivity Function g

Diffusivity function g is a non-increasing function, its value lies in the interval $[0,1]$. The function $g(s)$ plays a role of a ‘fuzzy detector’ of the presence of an edge at a particular position.

Edge-enhancing diffusion can adopt the diffusivity function proposed by Weickert:

$$g(s) = 1 - \exp\left(-\frac{C}{(s/\lambda)^m}\right) \quad (5)$$

with $C = -2.33667$ and $m=4$ here. This diffusivity and the corresponding flux function is drawn in Figure 1.

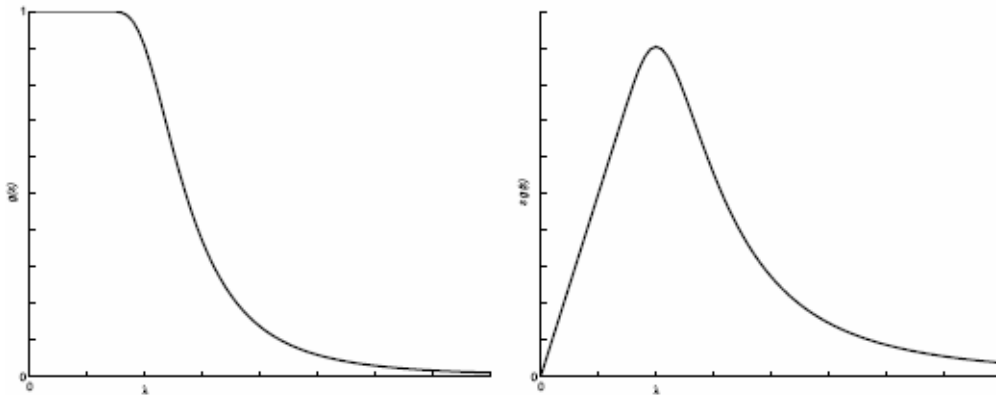


Figure 1. The Weickert diffusivity(left) and the corresponding flux function $s \cdot g(s)$ (right)

2.4 Discretization Scheme

In order that the continuous anisotropic diffusion equation is applied in the discrete image data, an effective semi-implicit discretization scheme, e.g. the AOS scheme, can be employed.

$$u^{k+1} = \frac{1}{m} \sum_{l=1}^m (I - m\tau A_l(u^k))^{-1} u^k \quad (6)$$

with l is the direction index, $l=1, \dots, m$.

The AOS scheme will separate the 2D diffusion into several one-dimensional diffusion process along chosen directions, it is absolutely stable for any discretization time step, and contain simple and effective calculation in an iterative process.

3 EXPERIMENT RESULTS AND ANALYSIS

3.1 Evaluation Measures

For objectively evaluating the effectivity of the nonlinear diffusion filter, several measure is chosen to evaluate the despeckling performance:(1)the capacity of despeckling in uniform areas;(2)the capacity of preserving edges information;(3)the capacity of keeping the average value of the image.

So the parameter ENL is employed to measure the smoothing performance of the speckle filter:

$$ENL = \mu_x^2 / \sigma_x^2 \quad (7)$$

where μ and σ represent the mean and the variance of the filtered image respectively. While the parameter EPI is employed to measure the capacity of preserving the edge of the filtering algorithm:

$$EPI = \sum |p_s - p_{sn}| / \sum |p_o - p_{on}| \quad (8)$$

with p_s is the pixel value of the filtered image, p_{sn} is the neighborhood pixel value of p_s , p_o is the pixel value of the original image, p_{on} is the neighborhood pixel value of p_o .

The PM represent the capacity of keeping the mean value of the image, it is defined as the ratio of the mean value of the original image and the filtered image.

3.2 Experiment Analysis

An ERS-2 image is selected for the despeckling experiments. The experiment test and contrast between the proposed nonlinear diffusion approach and several common adaptive local statistical filter, like frost, lee, kuan etc, is done. Figure2-Figure7 show the filtering results. The parameter used in this diffusion filter is shown as follow: $\sigma = 1.0, \tau = 1, T = 2$. Table1 give the analysis result of the experiment.

Firstly in terms of vision effect, the performance of the nonlinear anisotropic diffusion filter in SAR image despeckling is good, it not only effectively reduce noise, but also preserve the edges information of the image. Seeing from its filtered image, for the river and the homogenous area lying the river side, a good performance is shown, and the texture of the mountains appear a better interpretation performance by eyes than the original image.

From table 1, it is clear that for any evaluation measure, the despeckling algorithm based on nonlinear diffusion is optimal, others algorithm also can better keep the mean value of the image, and reduce the variance of the image, but obtaining a good performance both in smoothing noise and preserving edge appear difficult. However nonlinear diffusion filtering algorithm not only gain a good balance between reducing noise and preserving edges, but also obtain a better performance than the traditional local statistical filter. Furthermore, because of the physical essence of just transporting mass of the diffusion, its capacity of keeping the mean value of the image is so strong, the mean value of the filtered image compared with one of the original image nearly constant according to table 1, which is of important meaning for the further image interpretation. Thus, considering the evaluation measure all together, the nonlinear diffusion filter can effectively reduce the speckle in the SAR images, while preserve the important detail information.

Table 1 The contrast of several despeckling algorithm

	Mean	Variance	PM	ENL	EPI
Original image	39.757342	51.38114	1.000000	0.598725	1.000000
Kuan Filter	39.910042	30.49218	1.003841	1.713119	0.284019
En-Lee Filter	39.567267	31.527652	0.995219	1.575030	0.313529
En-Frost Filter	39.807742	30.733126	1.001268	1.677728	0.290327
Gamma MAP Filter	38.095198	30.769653	0.958193	1.532835	0.296259
AOS ND Filter	39.757960	30.298864	1.000016	1.722851	0.330310

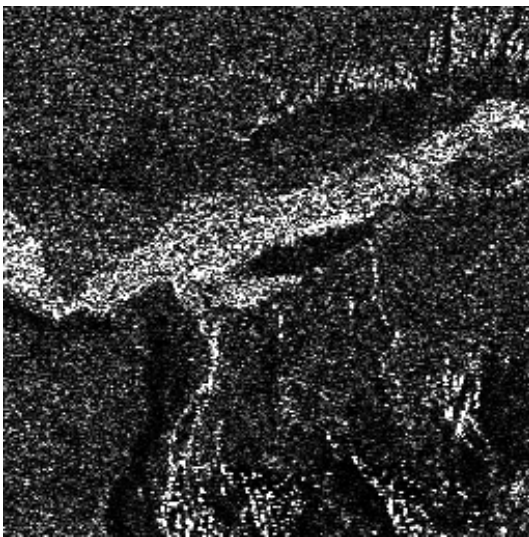


Figure 2 Original noisy image

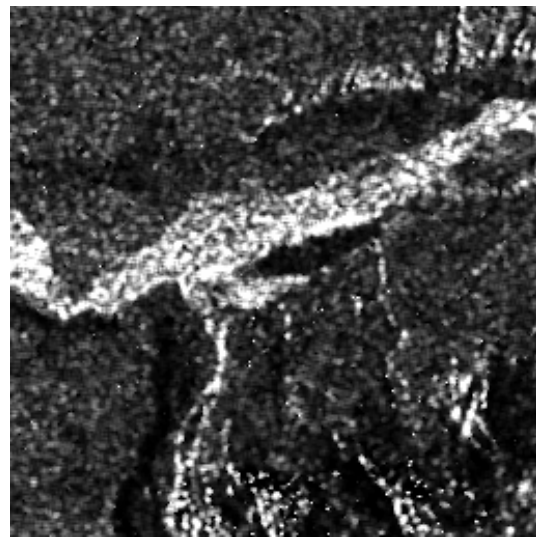


Figure 3 Result of En-frost filter

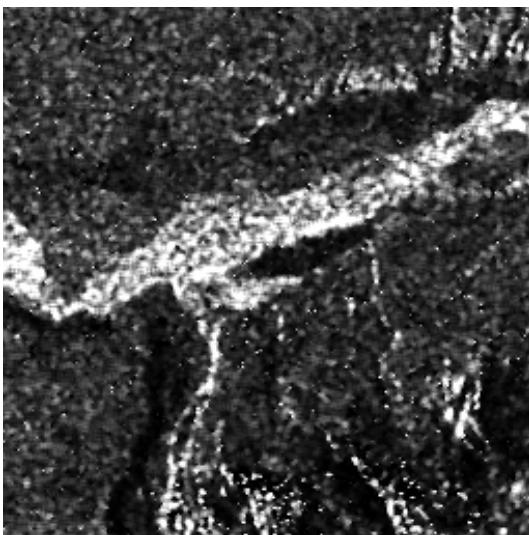


Figure 4 Result of En-lee filter

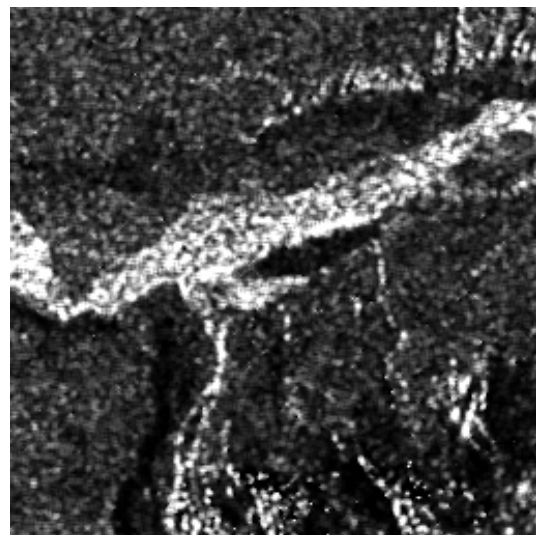


Figure 5 Result of Kuan filter



Figure 6 Result of Gamma filter

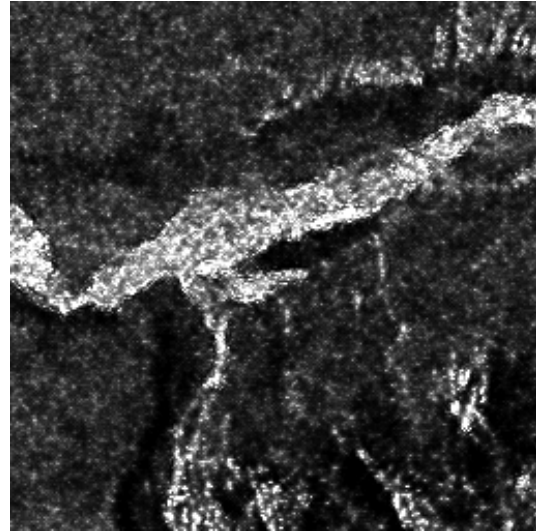


Figure 7 Result of our method

4 CONCLUSION

Speckle is the intrinsic characteristics of the SAR images and significantly effects the remote sensing application of the SAR images. The present main problem of the traditional adaptive filter based on local statistical characteristics lies in how to gain a better balance between preserving texture detail and despeckling. So, according to the trait of nonlinear diffusion filter, the attempt to introduce in SAR image despeckling is done, and by experiment test and contrast, the proposed approach achieve a better striking experiment performance than the traditional adaptive local statistical characteristics filter.

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